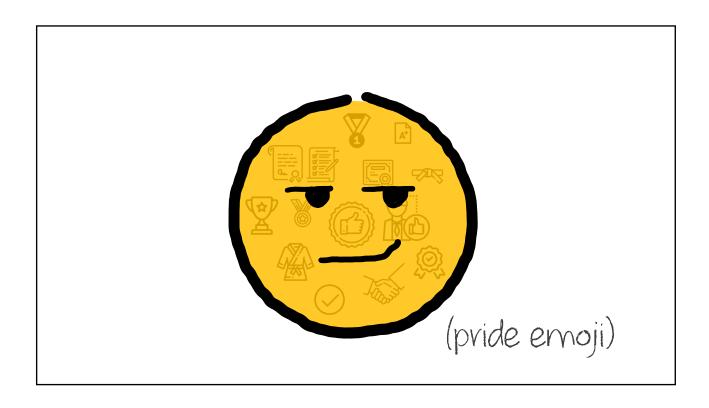
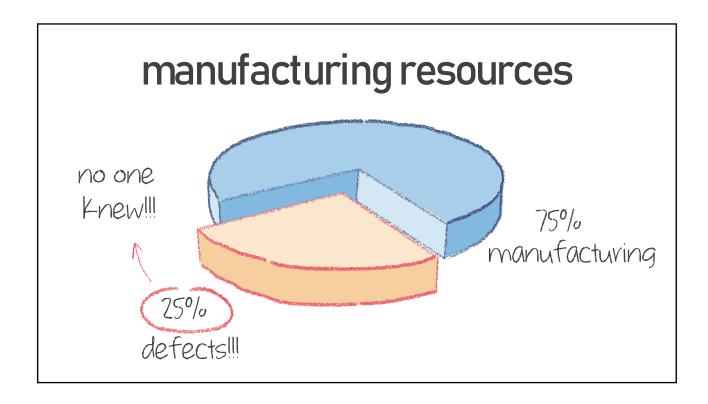


lets start with a story ...



but the CEO had a hunch that things weren't that good ...

... so he launched an investigation

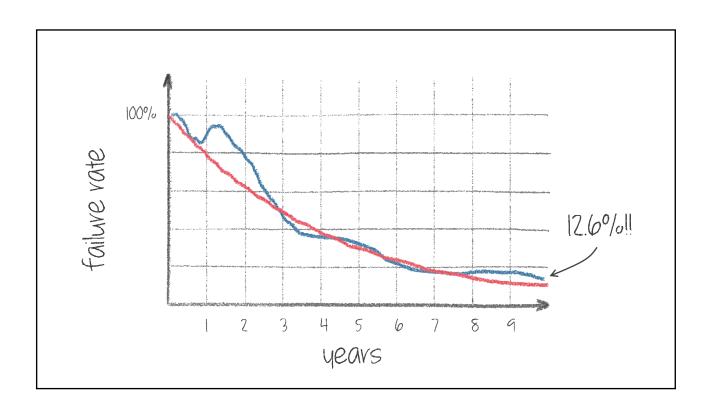


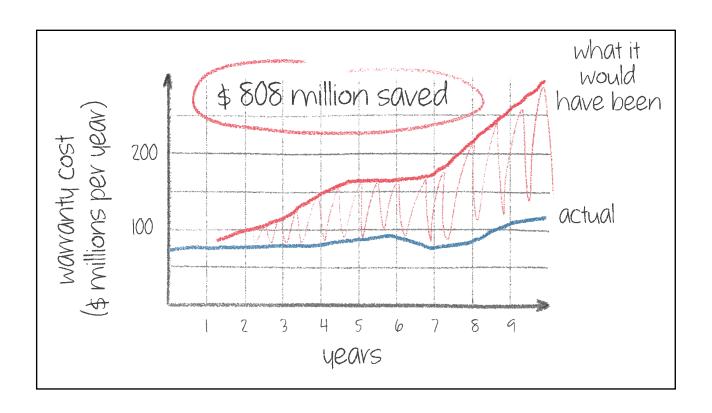
So the management team did something about it

Among the many things they did, the provided absolute commitment to improving reliability and quality

They also set a goal:

A tenfold factor decrease in failure vate over a ten year period





#### who was this?



... a company whose marketing plan velies on the perception of veliability



what is reliability?

reliability/ [ri-lahy-uh-bil-i-tee]

noun

is the probability that a system has not failed in designated conditions at a particular usage duration

a form of duration' as in equipment life is not just measured by time

what is the word is 'between' and does not imply a 'failure free' period

"... a better word would be 'usage duration' as in equipment life is not just measured by time

what is the mean time

between failure?

"... a better word would be 'usage duration' as in equipment life is not just measured by time

what is the word is 'between' and does ceases to function

mean time between failure/ [meen tahym bih-tween feyl-yer] noun

is the arithmetic average duration between successive failures of repairable systems.

M.J.B.F

sometimes denoted Greek letter 'theta' or  $\theta$ 

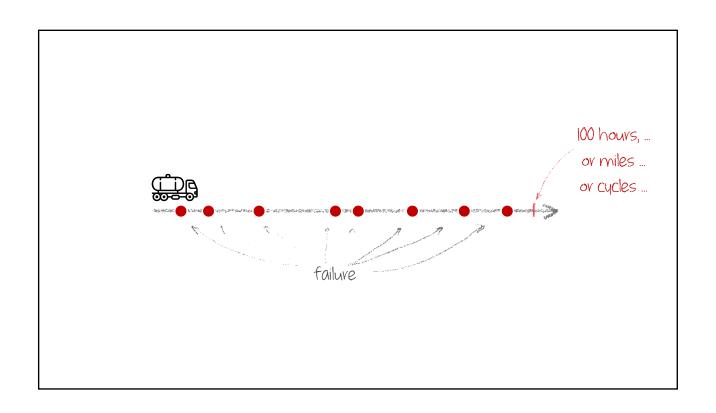
## M.J.B.F

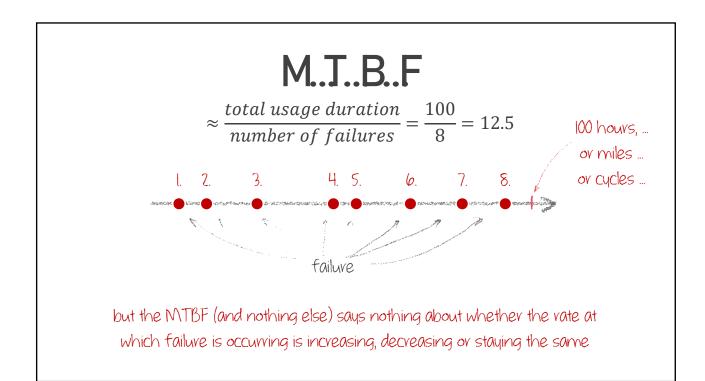
total usage duration

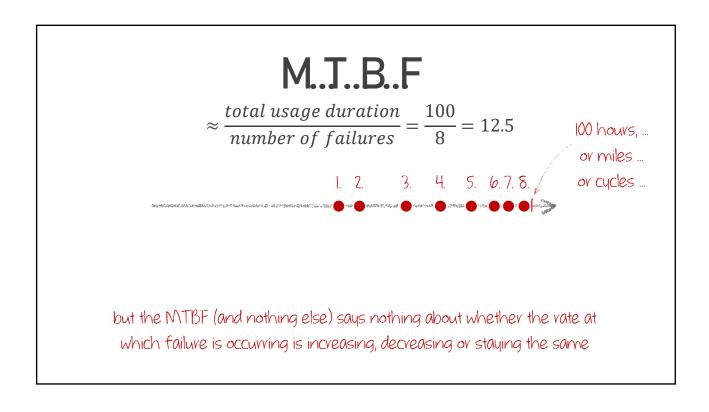
number of failures

... approximation???

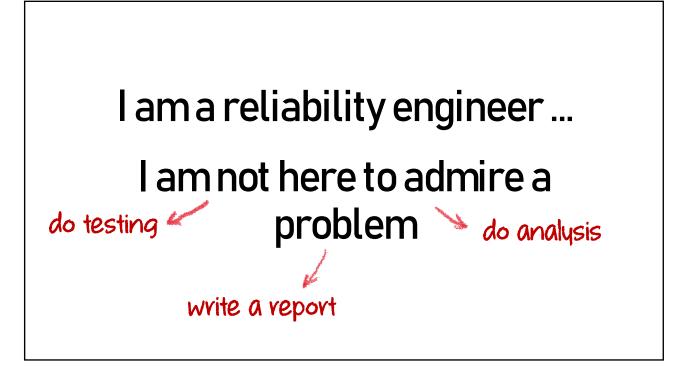
... because failure is a random process, and any observed data is observed random data







# M.T.B.F $\approx \frac{total\ usage\ duration}{number\ of\ failures} = \frac{100}{8} = 12.5$ ov miles ... ov cycles ... but the MTBF (and nothing else) says nothing about whether the vate at which failure is occurring is increasing, decreasing or staying the same



#### M.J.B.F

$$\approx \frac{total\ usage\ duration}{number\ of\ failures} = \frac{100}{8} = 12.5$$



... so failure is caused by components slowly accumulating damage — and we can make them more vobust, introduce servicing, reduce stresses ...

#### M.T.B.F

$$\approx \frac{total\ usage\ duration}{number\ of\ failures} = \frac{100}{8} = 12.5$$



... so failure is likely caused by manufacturing defects
- so we need to look at manufacturing quality,
improve Design for Manufacturability...

#### M.T.B.F

$$\approx \frac{total\ usage\ duration}{number\ of\ failures} = \frac{100}{8} = 12.5$$



... so failure is likely caused by external events — so we look at human error, the operating environment ...

## I am a reliability engineer ... I am not here to admire a problem

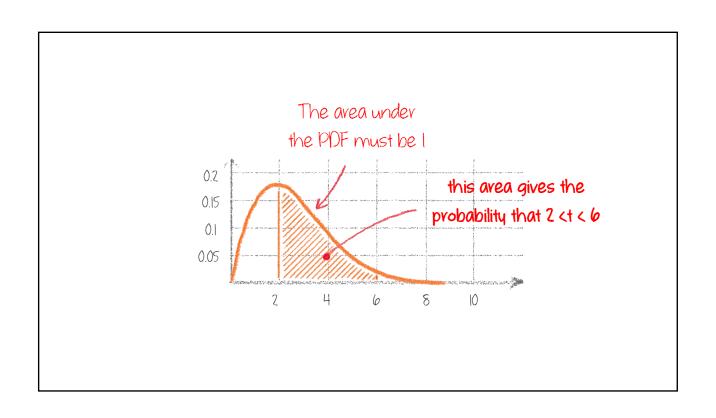
... I am heve to improve the design and make it move reliable

... and to do this, I need to know the nature of failure.

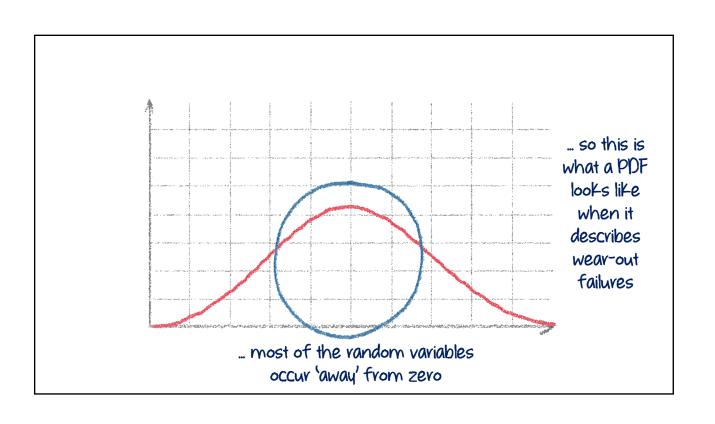
MTBF = 12.5 tells me nothing

So lets talk about probability density functions (PDFs)

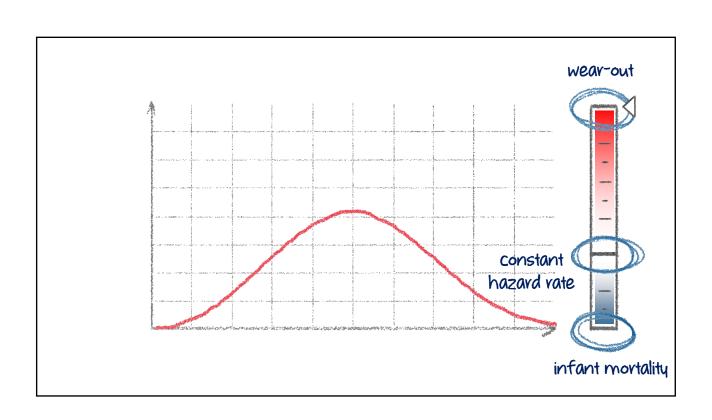
The PDF gives the relative probability that a continuous random variable is equal to a specific value

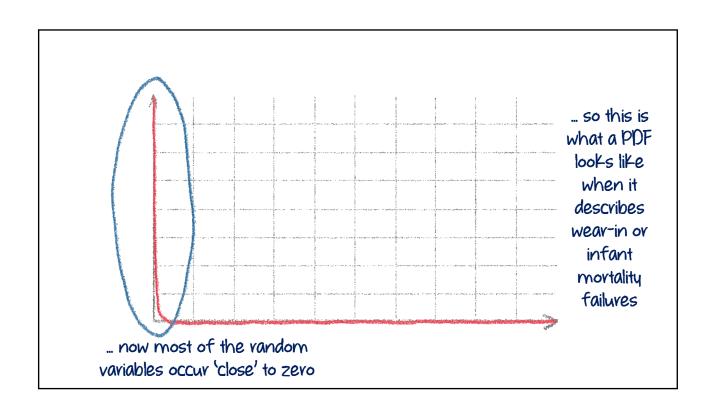


## ... lets look at an example

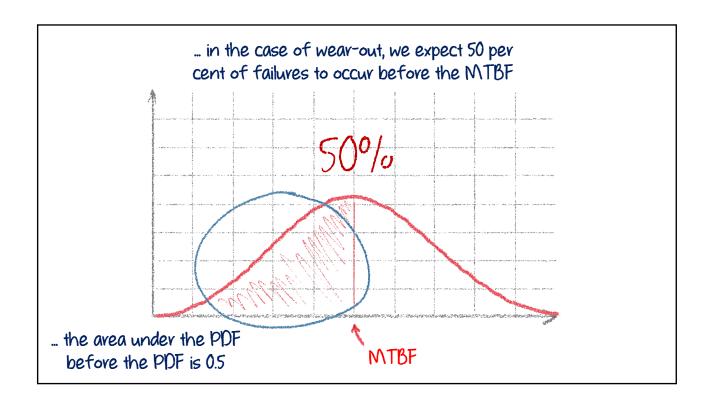


#### ... lets change it

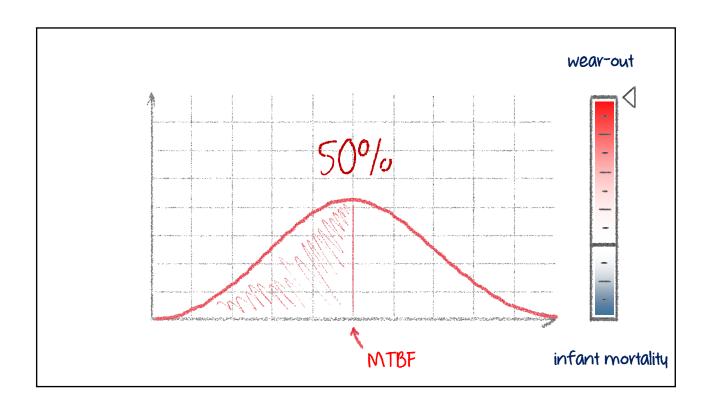


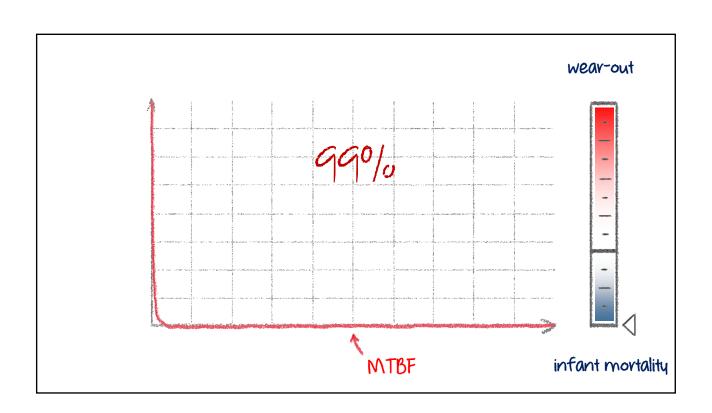


they have the same mean (or MTBF if we are talking about failure)



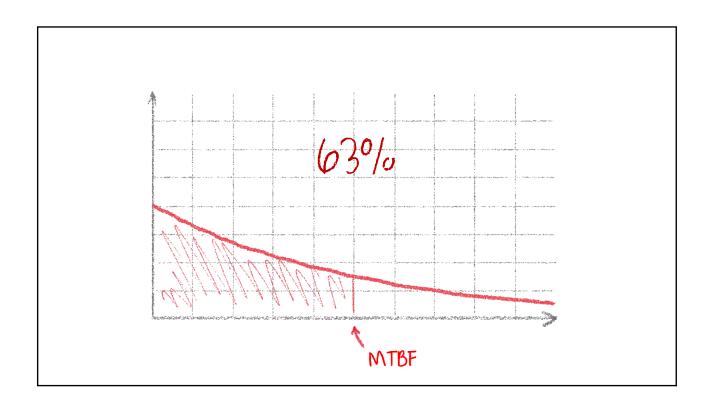
... lets change the PDFs and see what happens to the probability failure occurs before the MTBF





so anywhere between 50 and 100 per cent of failures will occur before the MTBF

... and which one of these had a constant hazard rate?



## exponential distribution

[ek-spoh-nen-shuh l dis-truhbyoo-shuh n]

... time to ov between events (failuve) for a constant hazard vate

#### exponent/ [ek-spoh-nuh nt]

#### noun

is the number that denotes the power to which another number is raised.

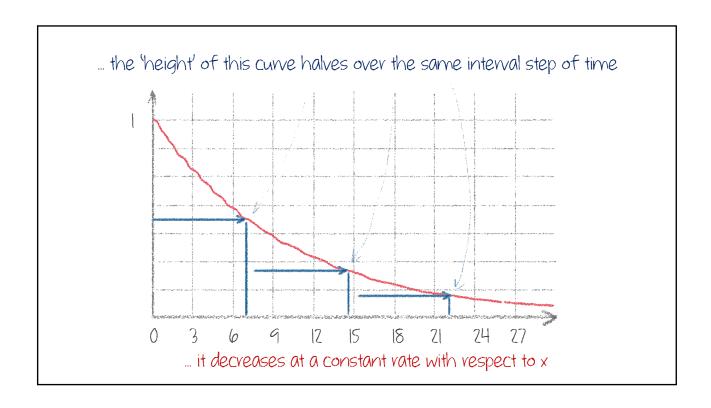


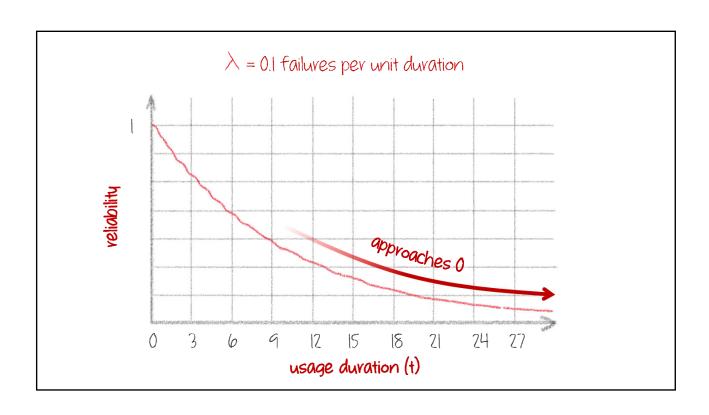
... in this case, 'a' is the exponent to which 'x' is vaised

#### $x^{a}$

... so for every **unit increase in x**, the value  $\mathbf{x}^{a'}$  will increase by a factor of  $\mathbf{a}'$  ...

... noting that if  ${\bf a}'$  is negative,  ${\bf x}^{\bf a}'$  will go down by a factor of  ${\bf a}$ 





#### **OBSERVATION**

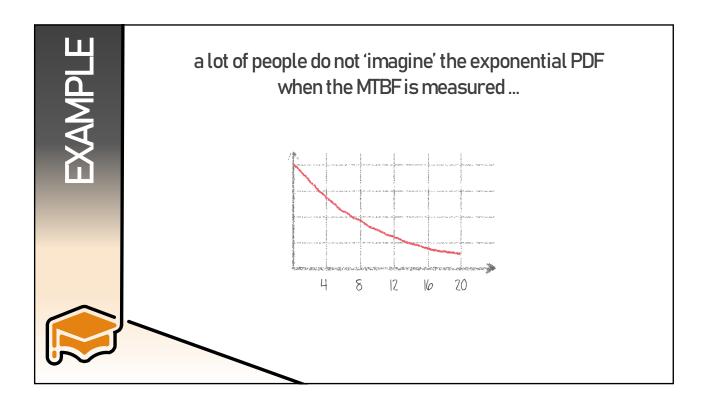


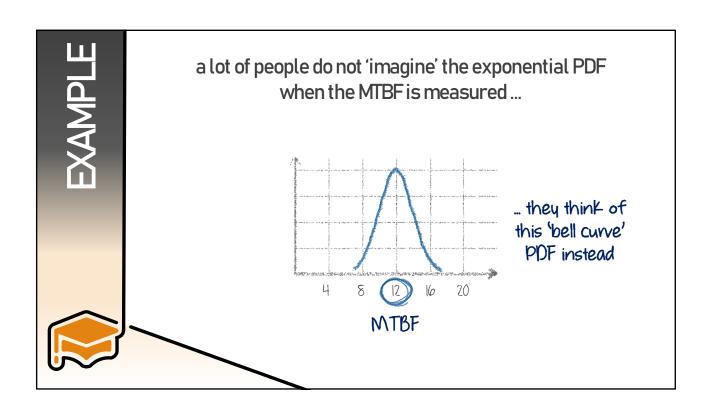
the **exponential distribution** can be used to model failure where the probability of failure does not change with respect to time or usage ...

 $\dots$  there is no scope for  $\mbox{\bf wear-in}$  or  $\mbox{\bf wear-out}$ 

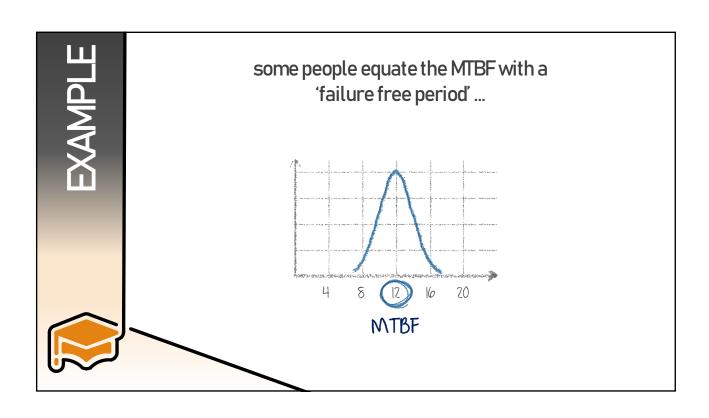
... the exponential distribution is **simple** ... and is often used (with assumptions) to reduce complexity

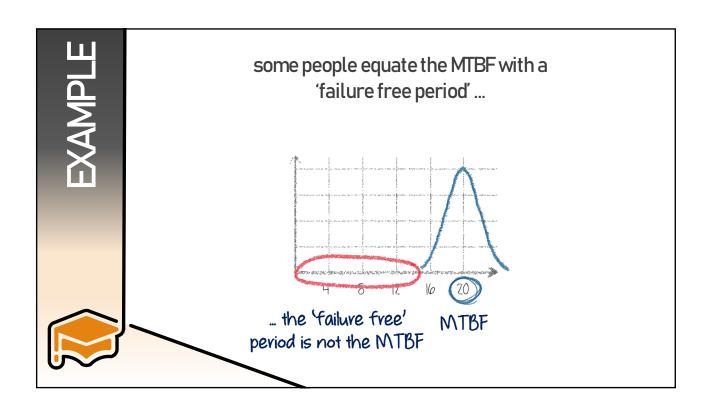
so lets look at some common mistakes people make about failure and MTBFs

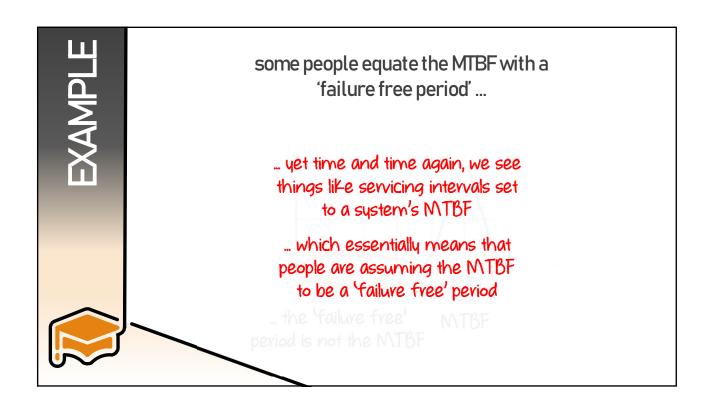




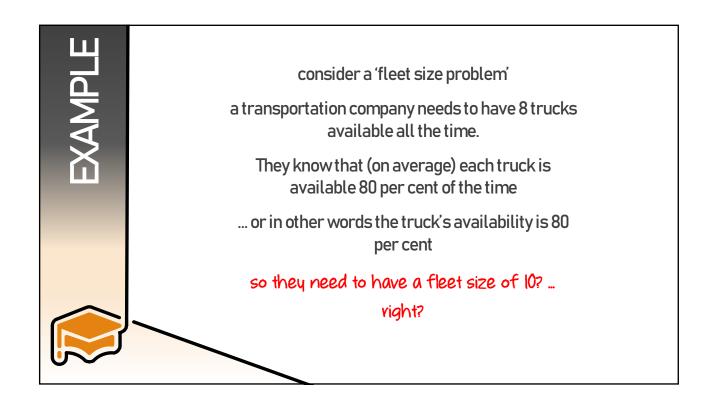
### but it gets much worse ...

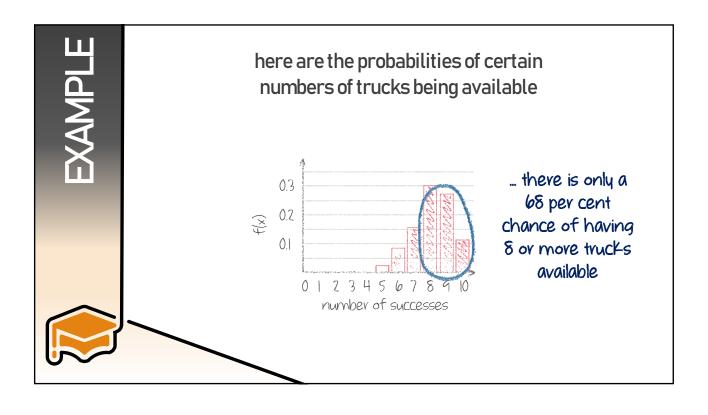


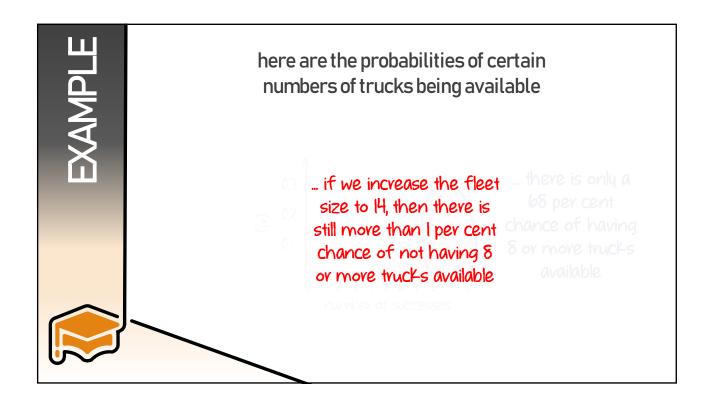




#### and there are other things people often get wrong...







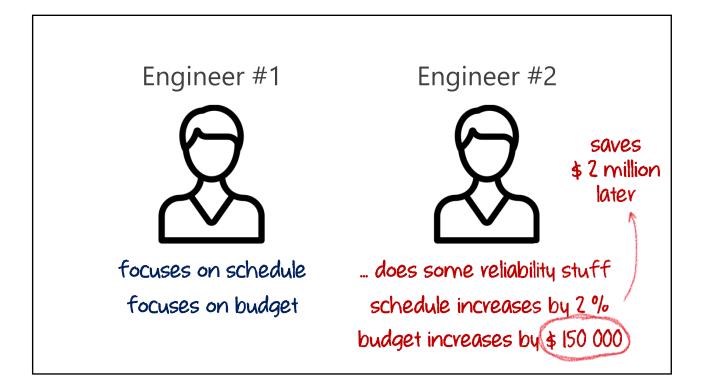
## OK... so I am a boss ... what do I need to do?



... you often tell your staff how important reliability is.



... and you provide annual bonuses to your staff who ...
(1) are on budget; and
(2) are on schedule



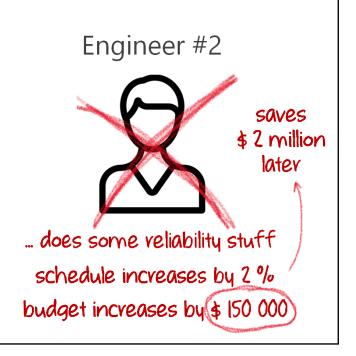




focuses on schedule focuses on budget



... it is irrational for this person to do 'reliability stuff' and save your company \$1.85 million

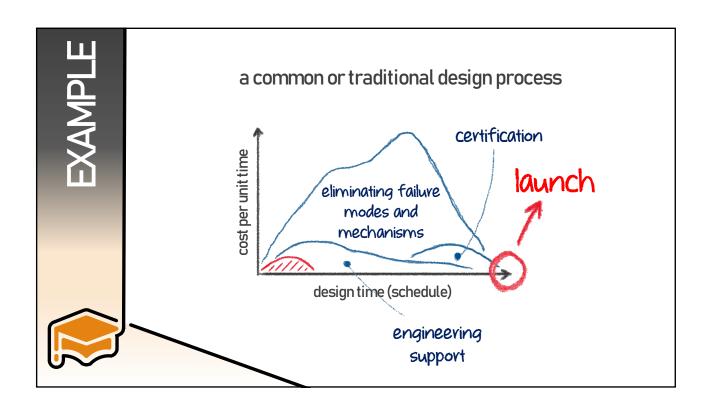


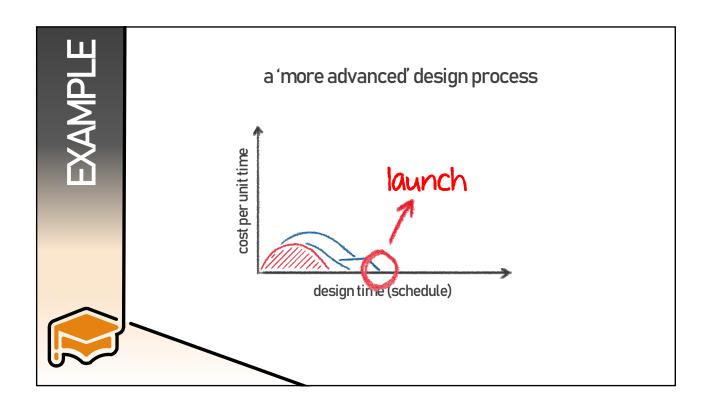
... your job (as a boss) is to not check your engineer's work ...

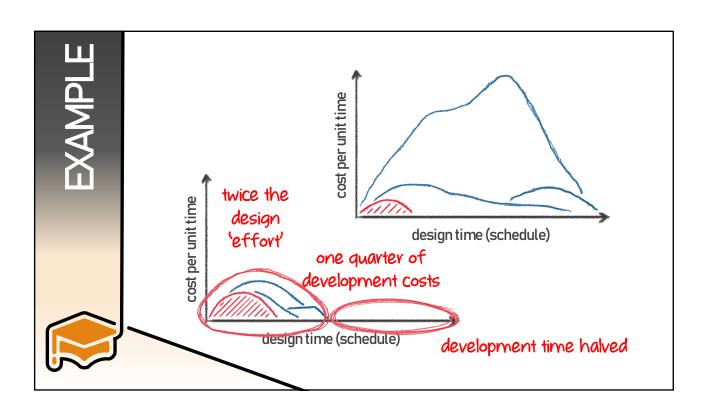
you should have already hired smart people ...

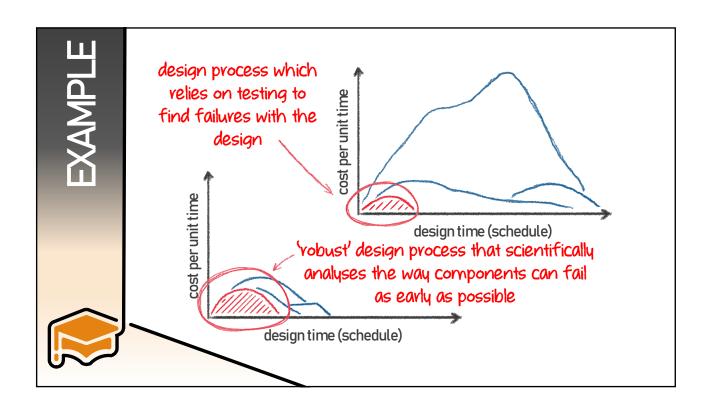


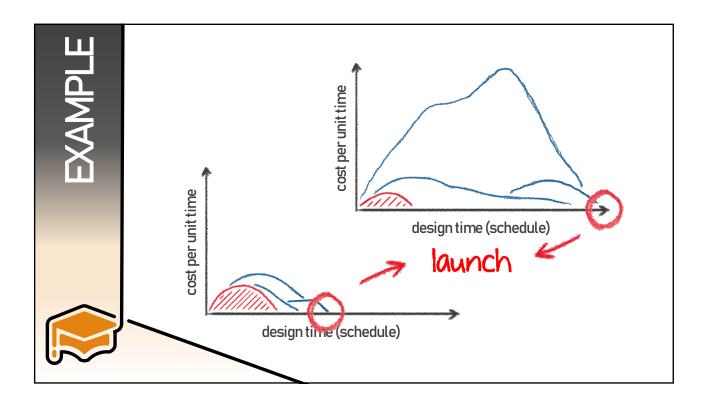
## ... but I don't care how reliable it is for the customer ... ... I need my equipment developed fast and cheap

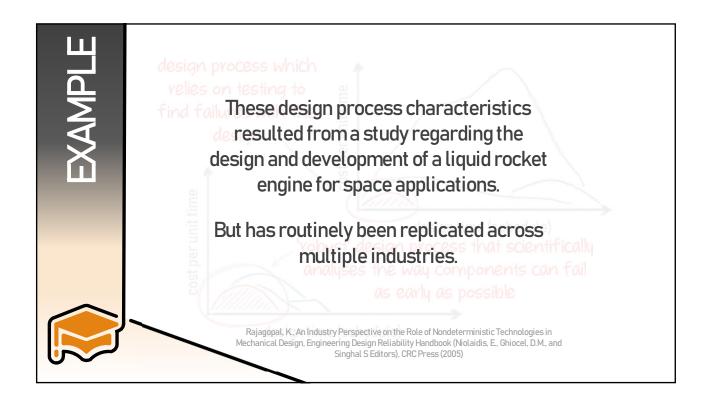








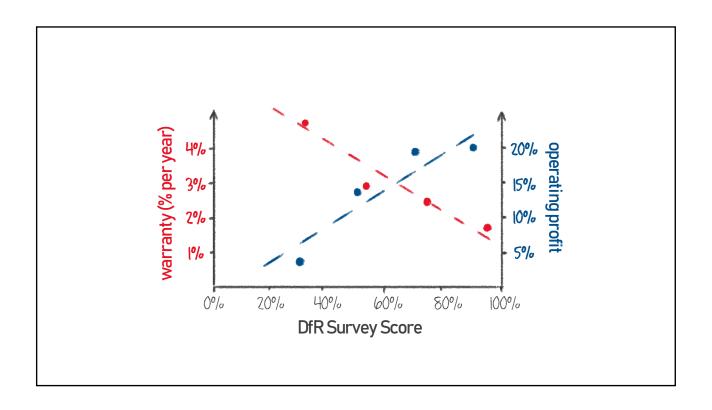




#### And returning to ...



They conducted multiple Design for Reliability (DFR) surveys across all its divisions to measure the 'extent' to which reliability was formalized within its processes



#### DO NOT USE THE MTBF ...

... and always, always seek to understand the nature of the probability distribution before making any important decision.

... and perhaps learn about the Weibull distribution

